Qualitative Predictors

• Insurance Example. In a study of innovation in the insurance industry, an economist wished to relate the speed with which a particular insurance innovation is adopted (Y) to the size of the insurance firm (X_1) and the type of the firm (stock company or mutual fund). The response variable is measured by the number of months elapsed between the time the first firm adopted innovation and the time the given firm adopted the innovation. The data are stored in the file "Insurance.csv".

```
data=read.csv("Insurance.csv",header=T)
                                          # Example on page 316
attach(data)
type=factor(type)
                    # 0=Mutual; 1=Stock
                                            # Declaring that type is a qualitative variable
results=lm(months~size+type)
summary(results)$coef
              Estimate Std. Error
                                      t value
                                                  Pr(>|t|)
(Intercept) 33.8740690 1.813858297 18.675146 9.145269e-13
            -0.1017421 0.008891218 -11.442990 2.074687e-09
size
             8.0554692 1.459105700
                                    5.520826 3.741874e-05
type1
tapply(months,type,mean) # Computes the mean of 'months' for each firm type
  0
       1
16.7 22.1
tapply(size,type,mean) # Computes the mean of 'size' for each firm type
   0
          1
168.8 194.9
# Note:
# Mutual: 16.7=33.8741-0.10174*(168.8)
# Stock: 22.1=33.8741+8.0555-0.10174*(194.9)
```

```
plot(size,months,pch=as.numeric(type))  # Will create scatterplots for the 2 type of firms
abline(33.874,-0.102,lwd=2) # For mutual firms
abline(33.874+8.055,-0.102,lwd=2,col="darkred") # For stock firms
legend(250,35,c("Mutual","Stock"),pch=1:2)
```



001000001.00	2.11001000	10.00110100	21112.000 10
-0.1015306249	0.01305254	-7.77861250	7.965637e-07
8.1312501223	3.65405169	2.22526959	4.079375e-02
-0.0004171412	0.01833121	-0.02275578	9.821265e-01
	-0.1015306249 8.1312501223 -0.0004171412	-0.1015306249 0.01305254 8.1312501223 3.65405169 -0.0004171412 0.01833121	-0.1015306249 0.01305254 -7.77861250 8.1312501223 3.65405169 2.22526959 -0.0004171412 0.01833121 -0.02275578

• Fertilizer Example. In this study, the effects of two treatments, a slow-release fertilizer (S) and a fast-releasing fertilizer (F), on seed yield (grams) of peanut plants were compared with a control (C), a standard fertilizer. Ten replications of each treatment were to be grown in a greenhouse study. When setting up the experiment, the researcher recognized that the 30 peanut plants were not exactly at the same level of development or health. Consequently, the researcher recorded the height (cm) of the plant, a measure of plant development and health, at the start of the experiment. The data are stored in the file "

```
data.fertilizer=read.csv("Fertilizer.csv",header=T)
attach(data.fertilizer)
```

plot(height, yield, pch=as.numeric(treatment))
legend(55, 15.5, c("Control", "Fast", "Slow"), pch=1:3)



summary(lm(yield^treatment+height+treatment:height))\$coef summary(lm(yield^treatment*height))\$coef

v v				
	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	9.491768741	0.202459041	46.882415	4.084943e-25
treatmentf	-3.519620102	0.350334683	-10.046451	4.489809e-10
treatments	3.906558043	0.295789635	13.207217	1.675966e-12
height	0.056614405	0.004265179	13.273628	1.506750e-12
<pre>treatmentf:height</pre>	0.006814587	0.006746322	1.010119	3.225144e-01
treatments:height	-0.006886936	0.006084213	-1.131935	2.688450e-01

summary(lm(yield~treatment+height))\$coef

		0		
	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	9.52925636	0.133573491	71.34092	2.346301e-31
treatmentf	-3.14415561	0.060373900	-52.07806	7.942625e-28
treatments	3.57163712	0.057032666	62.62441	6.817469e-30
height	0.05580995	0.002734287	20.41115	1.580422e-17

```
# Slow: 15.83=9.529+3.572+0.0558*(48.9)
```